

1. The series $\sum_{n=1}^{\infty} \frac{(4n!)^4}{(4n+12)!}$ is
- (a) a series for which the ratio test is inconclusive
 - (b) conditionally convergent
 - (c) divergent by the ratio test
 - (d) absolutely convergent
 - (e) a divergent p series
-
2. The series $\sum_{n=1}^{\infty} \frac{5^{n-1}n^n}{3^{3n+4}}$ is
- (a) diverges by the root test
 - (b) a convergent p series
 - (c) converges by the root test
 - (d) a series for which the root test is inconclusive
 - (e) a divergent geometric series
-
3. The series $\sum_{n=1}^{\infty} (-1)^n (\sqrt{n+4} - \sqrt{n+3})$ is
- (a) conditionally convergent
 - (b) diverges by the limit comparison test
 - (c) absolutely convergent
 - (d) diverges by the divergent test
 - (e) divergent by the ratio test
-
4. The series $\sum_{n=1}^{\infty} \frac{1}{(\sqrt{2n+3}-3)\sqrt{2n+3}}$ is
- (a) diverges by the limit comparison test
 - (b) convergent by the integral test
 - (c) convergent by the ratio test
 - (d) convergent by the root test
 - (e) divergent by the ratio test
5. The series $\sum_{n=1}^{\infty} \frac{(-1)^{n-1}}{\pi^n + n^\pi}$ is
- (a) absolutely convergent
 - (b) conditionally convergent
 - (c) divergent
 - (d) convergent by the integral test
 - (e) divergent by the alternating series test
-
6. The series $\sum_{n=1}^{\infty} (7\sqrt{5} - \sqrt[n]{\pi})^{n/2}$ is
- (a) divergent by the root test
 - (b) convergent by the root test
 - (c) a divergent geometric series
 - (d) conditionally convergent
 - (e) the root test is inconclusive
-
7. How many terms of the series $\sum_{n=1}^{\infty} \frac{(-1)^{n+1}}{(n+2)^2}$ do we need to add so that $|error| < 0.01$
- (a) 8
 - (b) 6
 - (c) 4
 - (d) 2
 - (e) 5
-
8. By applying the ratio test to the series $\sum_{n=1}^{\infty} \frac{\sqrt{1+2n}}{3+(1-n)^2}$ we conclude that
- (a) the test is inconclusive
 - (b) conditionally convergent
 - (c) divergent
 - (d) absolutely convergent
 - (e) convergent

9. The series $\sum_{n=1}^{\infty} \frac{(-1)^{n+1}n^2}{n^3+1}$ is
- conditionally convergent
 - absolutely convergent
 - divergent
 - convergent by the integral test
 - divergent by the alternating series test
-
10. The series $\sum_{n=1}^{\infty} \frac{(-1)^{n+1}(n!)^2 2^n}{(n+2)!}$ is
- divergent
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 - absolutely convergent
 - convergent by the integral test
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-
11. The series $\sum_{n=1}^{\infty} \frac{2n^2+3n \ln n}{5+7 \ln n}$ is
- divergent
 - conditionally convergent
 - absolutely convergent
 - convergent by the integral test
 - divergent by the alternating series test
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12. The series $\sum_{n=1}^{\infty} \frac{(-1)^{n^2-1} \sin n}{(n+1)^2}$ is
- absolutely convergent
 - conditionally convergent
 - divergent
 - divvergent by the root test
 - divergent by the alternating series test
-
13. Which of the following series is divergent? (I) $\sum_{n=1}^{\infty} \frac{\cos^4 n}{n^2+\cosh n}$ (II) $\sum_{n=1}^{\infty} \frac{(-1)^n}{n}$ (III) $\sum_{n=1}^{\infty} \frac{(-\pi)^n}{4^n}$ (IV) $\sum_{n=1}^{\infty} \frac{1}{n^{(e-2)/3}}$
- (IV)
 - (II) and (IV)
 - (I) and (II)
 - (I) and (III)
 - none of the above
-
14. The series $\sum_{n=1}^{\infty} \frac{n!}{(5)(9)(13)\dots(4n+1)}$
- convergent by the Ratio Test
 - divergent by the Ratio Test
 - a series for which the Ratio Test is inconclusive
 - conditionally convergent
 - none of the above
-
15. Using the Integral Test Remainder Estimate for the series $\sum_{n=1}^{\infty} \frac{1}{n^5}$, we find that the smallest number of terms needed to ensure that the sum is accurate to within 0.0004 is equal to
- 6
 - 2
 - 10
 - 12
 - none of the above
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 - divergent by the alternating series test
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3. Using the Integral Test Remainder Estimate for the series $\sum_{n=1}^{\infty} \frac{1}{n^5}$, we find that the smallest number of terms needed to ensure that the sum is accurate to within 0.0004 is equal to
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 - none of the above
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5. The series $\sum_{n=1}^{\infty} \frac{(-1)^{n+1} n^2}{n^3+1}$ is
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6. How many terms of the series $\sum_{n=1}^{\infty} \frac{(-1)^{n+1}}{(n+2)^2}$ do we need to add so that $|error| < 0.01$
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7. The series $\sum_{n=1}^{\infty} (7\sqrt{5} - \sqrt[n]{\pi})^{n/2}$ is
- conditionally convergent
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11. The series $\sum_{n=1}^{\infty} \frac{1}{(\sqrt{2n+3}-3)\sqrt{2n+3}}$ is
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- (I) and (II)
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 - (II) and (IV)
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14. The series $\sum_{n=1}^{\infty} \frac{(-1)^{n+1} (n!)^2 2^n}{(n+2)!}$ is
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7. The series $\sum_{n=1}^{\infty} \frac{5^{n-1} n^n}{3^{3n+4}}$ is
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8. How many terms of the series $\sum_{n=1}^{\infty} \frac{(-1)^{n+1}}{(n+2)^2}$ do we need to add so that $|error| < 0.01$
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9. The series $\sum_{n=1}^{\infty} (7\sqrt{5} - \sqrt[n]{\pi})^{n/2}$ is
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11. Using the Integral Test Remainder Estimate for the series $\sum_{n=1}^{\infty} \frac{1}{n^5}$, we find that the smallest number of terms needed to ensure that the sum is accurate to within 0.0004 is equal to
- (a) 2
 - (b) 10
 - (c) 6
 - (d) 12
 - (e) none of the above
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12. The series $\sum_{n=1}^{\infty} (-1)^n (\sqrt{n+4} - \sqrt{n+3})$ is
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10. How many terms of the series $\sum_{n=1}^{\infty} \frac{(-1)^{n+1} 14}{(n+2)^2}$ do we need to add so that $|error| < 0.01$
- 2
 - 5
 - 4
 - 6
 - 8
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15. Using the Integral Test Remainder Estimate for the series $\sum_{n=1}^{\infty} \frac{1}{n^5}$, we find that the smallest number of terms needed to ensure that the sum is accurate to within 0.0004 is equal to
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- (a) 12
 (b) 2
 (c) 6
 (d) 10
 (e) none of the above

9. By applying the ratio test to the series $\sum_{n=1}^{\infty} \frac{\sqrt{1+2n}}{3+(1-n)^2}$ we conclude that
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Q	MASTER	CODE01	CODE02	CODE03	CODE04
1	A	C	C	D	A
2	A	C	A	D	B
3	A	C	C	C	E
4	A	D	E	D	E
5	A	D	A	C	D
6	A	A	E	A	C
7	A	C	A	D	D
8	A	E	A	A	C
9	A	E	D	A	B
10	A	B	A	E	A
11	A	C	C	A	A
12	A	B	A	C	D
13	A	D	E	A	A
14	A	B	E	C	E
15	A	D	D	A	C

Answer Counts

V	A	B	C	D	E
1	1	3	5	4	2
2	6	0	3	2	4
3	6	0	4	4	1
4	4	2	3	3	3