Title: Introduction to Linear Algebra

Credit: 3 – 0 – 3


Objectives: To introduce the basic ideas of linear algebra, and matrix computations, and to teach some techniques to solve linear equations. Students at the sophomore level have a good opportunity to learn how to handle abstract concepts.

Grading policy: Exam1 : 22%
Exam2 : 22%
Class-Work : 20%
Final Exam : 36%

Attendance: A DN grade will be given to all students with 12 or more unexcused absences. Students coming more than 15 min. after the beginning of the course will receive an L=late mark. Two L marks = One absence.

Missing an Exam: There will be no makeup quiz/exam under any circumstance. If a student misses a quiz/an Exam for a legitimate reason (medical emergency, major family problems), his grade for this quiz/exam will be determined on the basis of his average performance in the quizzes. Further, the student must provide an official excuse within 7 days of the missed quiz/exam.
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**Midterm Exam (22%)**

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